

Percolation Transitions in Interacting Many-Body Flatband Systems

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Many-Body Flatband Localization

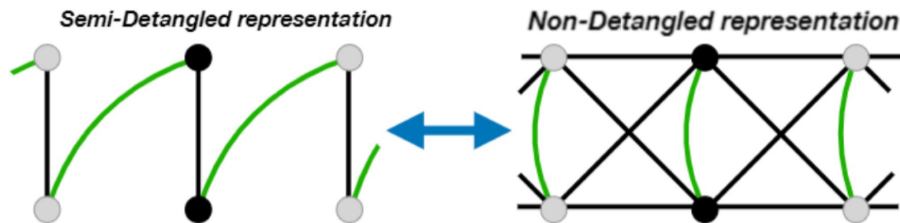
$$\hat{\mathcal{H}} = \hat{\mathcal{H}}_{\text{sp}} + V \hat{\mathcal{H}}_{\text{int}}$$

$$= \sum_{\mathbf{l}} \hat{C}_{\mathbf{l}}^{\dagger T} H_0 \hat{C}_{\mathbf{l}} + V \sum_{\langle \mathbf{l}_1, \mathbf{l}_2 \rangle} \sum_{a,b} J_{a,b}^{\mathbf{l}_1, \mathbf{l}_2} \hat{n}_{\mathbf{l}_1, a} \hat{n}_{\mathbf{l}_2, b}$$

Many-body flatband localization

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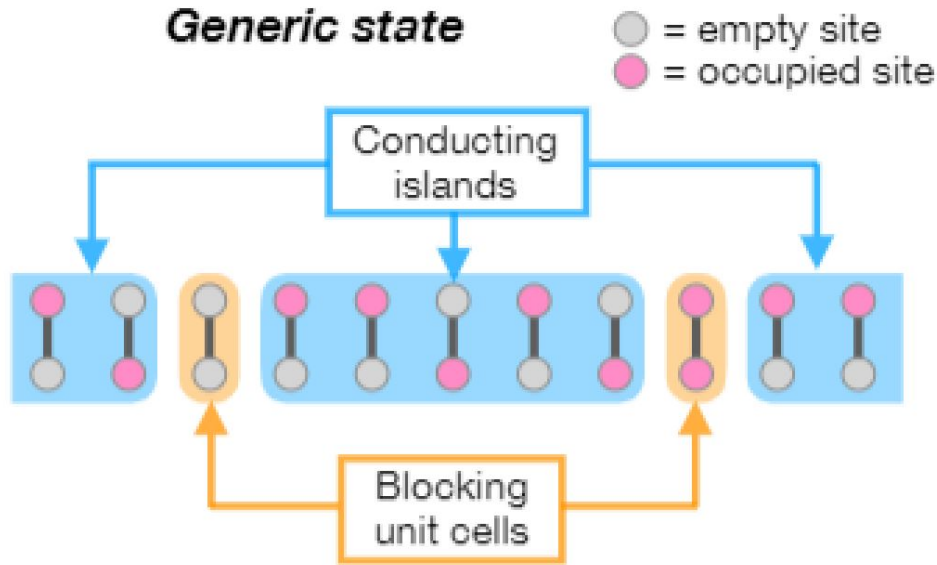
$$\hat{\mathcal{H}} = \sum_l (\hat{a}_l, \hat{b}_l)^{\dagger} \begin{pmatrix} s & t \\ t & s \end{pmatrix} \begin{pmatrix} \hat{a}_l \\ \hat{b}_l \end{pmatrix} + V \sum_l \hat{n}_{b,l} \hat{n}_{a,l+1}$$



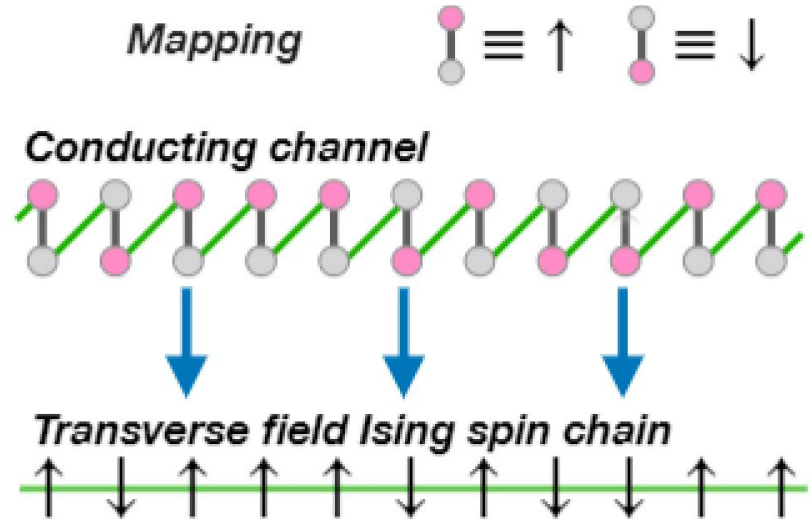
No particles transport

What about transport in general?

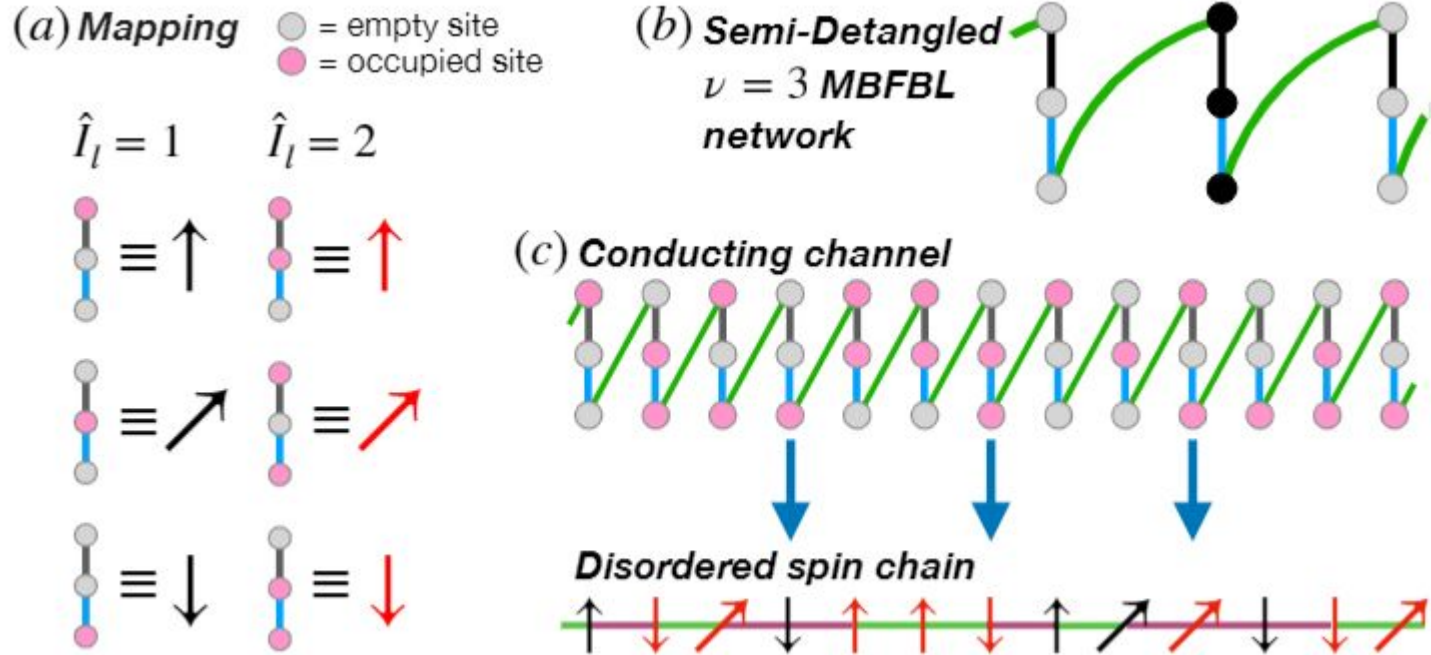
1D Many-Body Flatband Localization



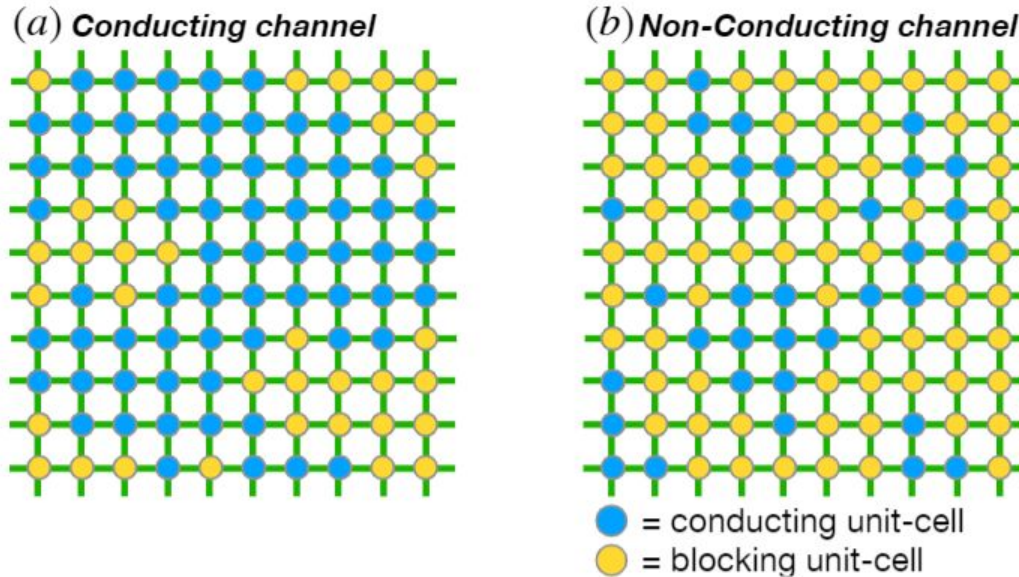
$$\mathcal{R} \sim \sqrt{L} 2^{-L}$$



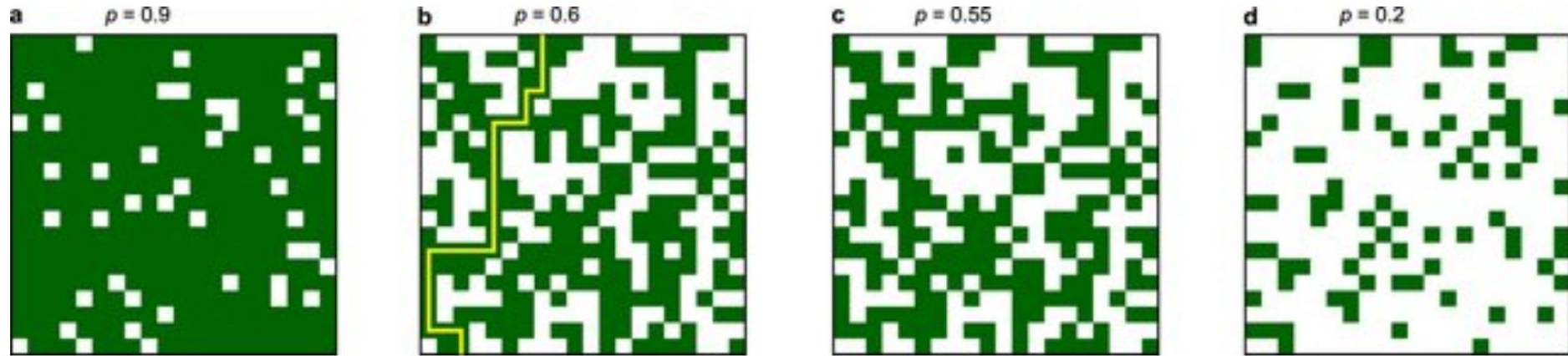
1D Many-Body Flatband Localization



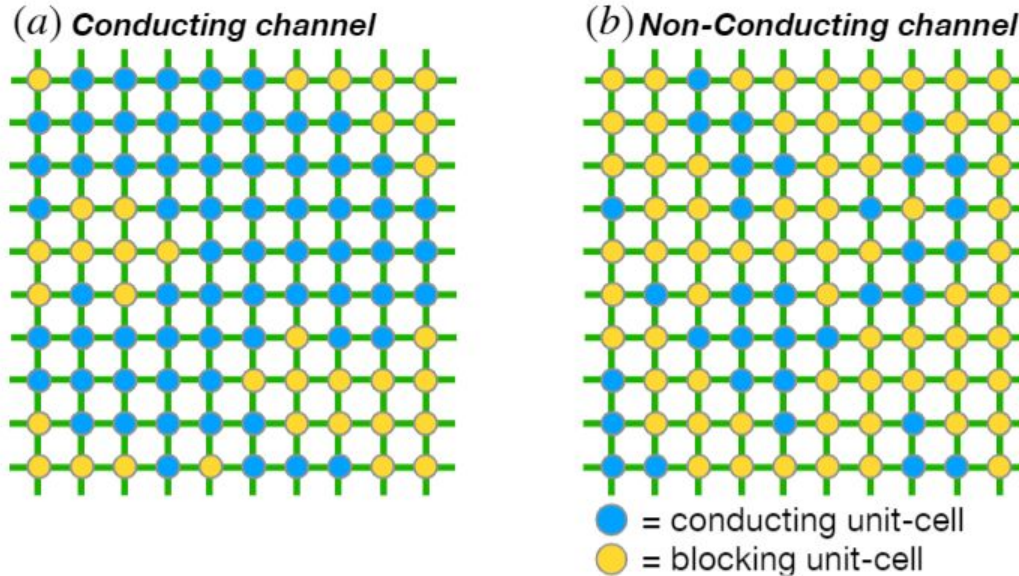
2D Many-Body Flatband Localization



Percolation Theory



2D Many-Body Flatband Localization



$$1 - \delta_{\text{cr}}^\nu - (1 - \delta_{\text{cr}})^\nu = p_{\text{cr}}$$

Effective Disorder

- 1) Disorder in effective interaction
- 2) Different local “spins”
- 3) Percolation clusters’ fractal structure and dead ends
(“quantum percolation”)

Conclusions

- 1) Disorder-free localization transition based on quantum percolations in interacting flat-band systems
- 2) Universal bound
- 3) Quantum transport can be additionally suppressed by effective disorder(s)